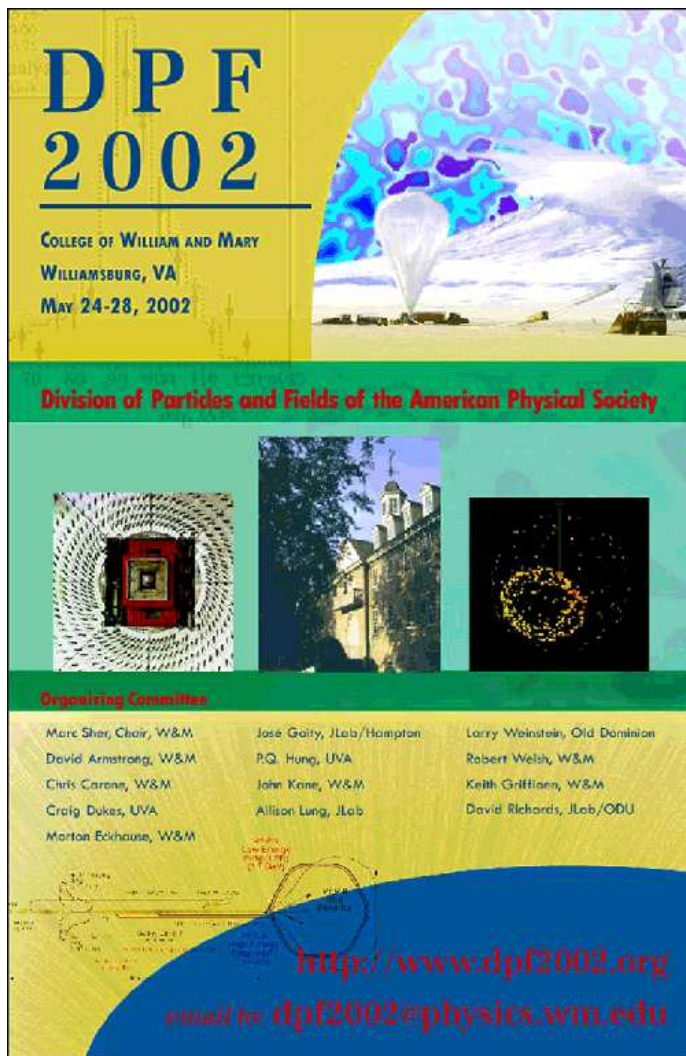


# Hard diffraction at HERA



**DPF  
2002**

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## H1 Collaboration

- Introduction
- Diffractive Structure Function  $F_2^D$
- NLO QCD fit and diffractive pdf's
- Diffractive final states
- Summary

## Preface: Why is diffraction (still) interesting ?

- Early observation:  
total hadronic cross sections rise at high  $s$
- $\sigma_{\text{tot}}$  dominated by soft processes, where pQCD does not apply  
large fraction of elastic / diffractive processes

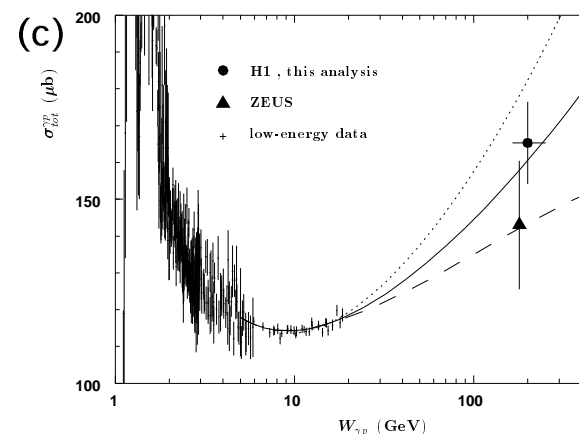
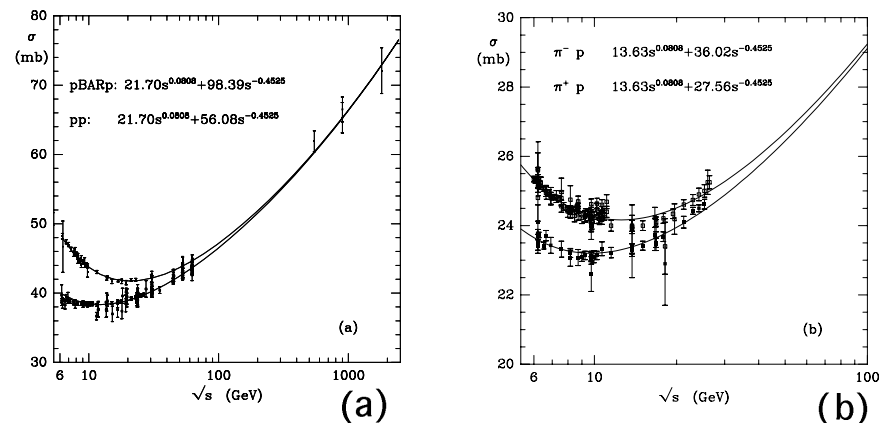
- Parameterized in terms of Regge phenomenology:

$$\frac{d\sigma}{dt} \sim \frac{1}{s^2} |T(s, t)|^2 = f(t) \left(\frac{s}{s_0}\right)^{2\alpha(t)-2}$$

$$\sigma_{\text{tot}} \sim \frac{1}{s} \text{Im}(T(s, t))|_{(t=0)} = s^{\alpha(0)-1}$$

- At high  $s$ : the pomeron trajectory  
(vacuum quantum numbers, elastic scattering)  
 $\alpha(t) = \alpha(0) + \alpha' t = 1.08 + 0.25 t$
- Diffraction exists also in hard processes

Total cross sections at high energy:

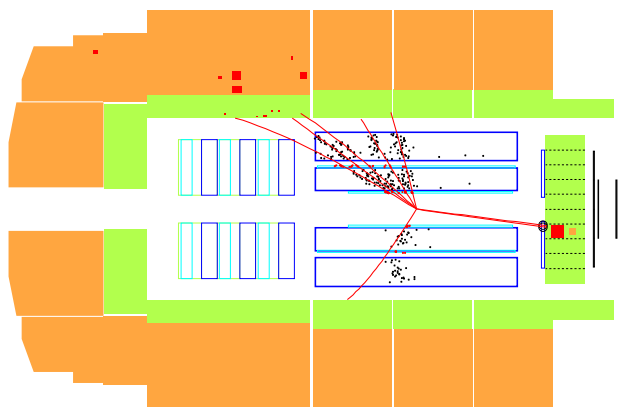


→ QCD (quark-gluon) structure of diffraction !

# Diffraction in DIS at HERA

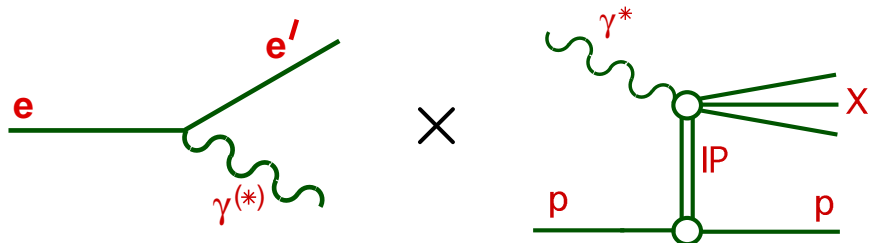
Early Observation at HERA:

10% of low- $x$  DIS events are diffractive  
 $ep \rightarrow e'p'X$

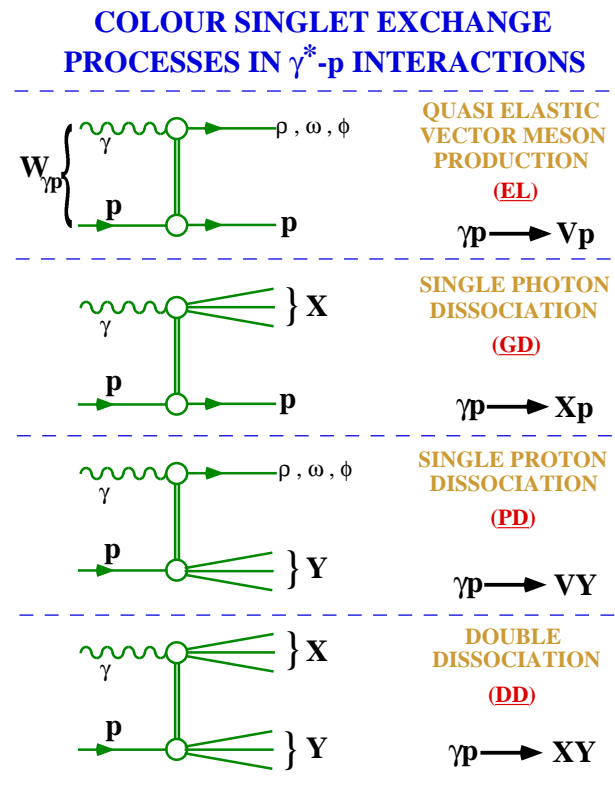


Colour-singlet or "pomeron" exchange

Can be viewed as diffractive  $\gamma^*p$  interaction:



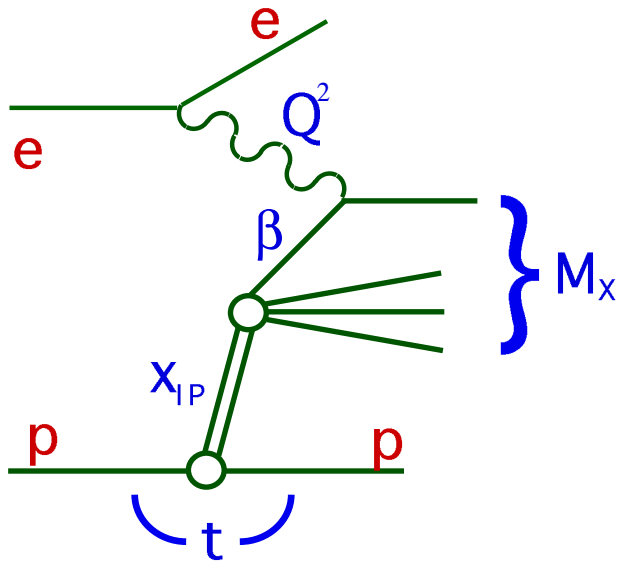
More generally:  $\gamma^{(*)}p \rightarrow XY$



All can be measured by varying  
 $Q^2, W, t, M_X, M_Y$

This talk mostly  $\gamma^*p \rightarrow Xp$   
 (large  $Q^2$ , small  $|t|$ )

## Diffractive DIS



$$x_{\mathbf{P}} = \xi = \frac{Q^2 + M_X^2}{Q^2 + W^2} = x_{\mathbf{P}}/p$$

(momentum fraction of colour singlet exchange)

$$\beta = \frac{Q^2}{Q^2 + M_X^2} = x_{q/\mathbf{P}}$$

(fraction of exchange momentum carried by  $q$  coupling to  $\gamma^*$ , hence  $x = x_{\mathbf{P}}\beta$ )

$$t = (p - p')^2$$

(4-momentum transfer squared at  $p$  vertex)

Diffractive reduced cross section  $\sigma_r^D$ :

$$\frac{d^4\sigma}{dx_{\mathbf{P}} dt d\beta dQ^2} = \frac{4\pi\alpha^2}{\beta Q^4} \left(1 - y + \frac{y^2}{2}\right) \sigma_r^{D(4)}(x_{\mathbf{P}}, t, \beta, Q^2)$$

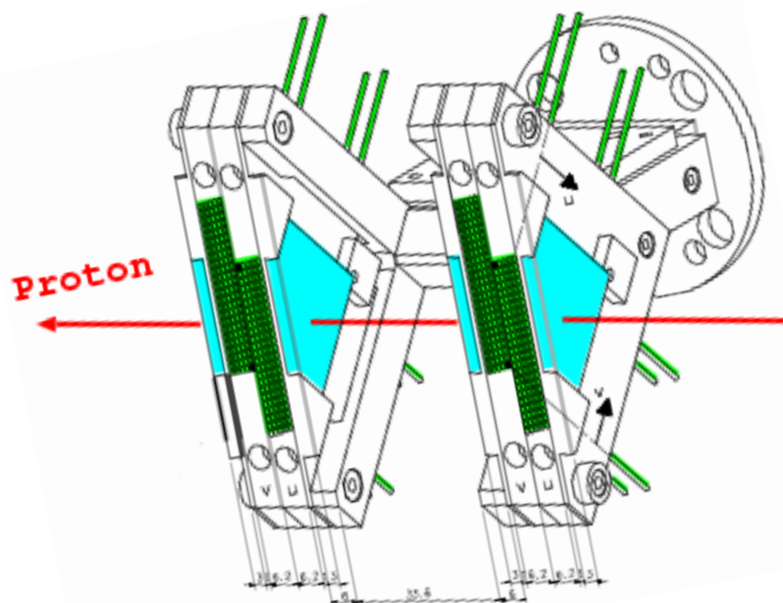
Structure functions  $F_2^D$  and  $F_L^D$ :

$$\sigma_r^{D(4)} = F_2^{D(4)} - \frac{y^2}{2(1-y+y^2/2)} F_L^{D(4)} \quad \text{Integrated over } t: F_2^{D(3)} = \int dt F_2^{D(4)}$$

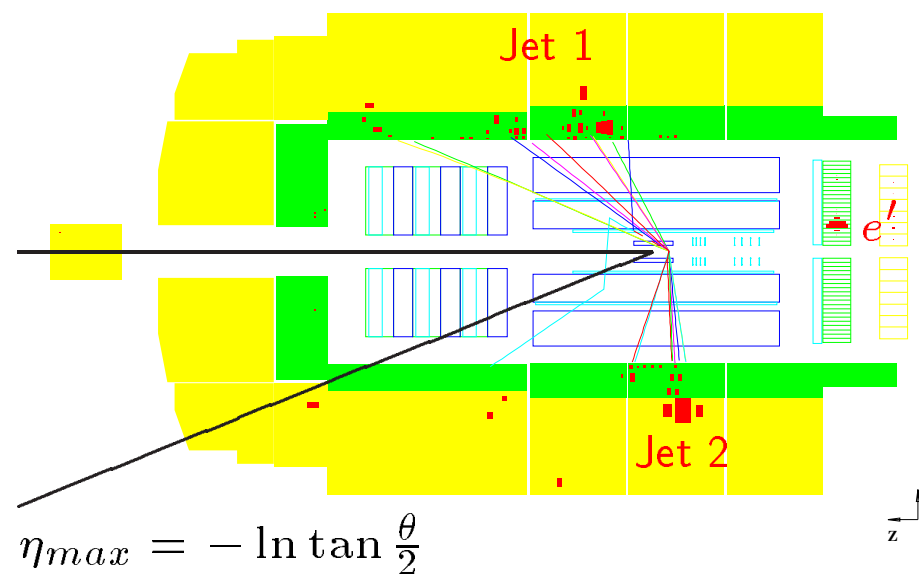
Probe QCD (quark-gluon) structure of diffraction (Pomeron exchange) !

## Experimental Techniques

Forward Proton Spectrometer  
at  $z = 65 \dots 90$  m



Rapidity Gap Selection  
in central detector



Measure leading proton

- Free of  $p$  dissociation bkgd.
- Measure  $t$  distribution
- low statistics (acceptance)

Require large rapidity gap

- $\Delta\eta$  large when  $M_X \ll W$
- integrate over  $M_Y, t$
- high statistics

## Factorization Properties of $F_2^D$

QCD Factorization for diffractive DIS:

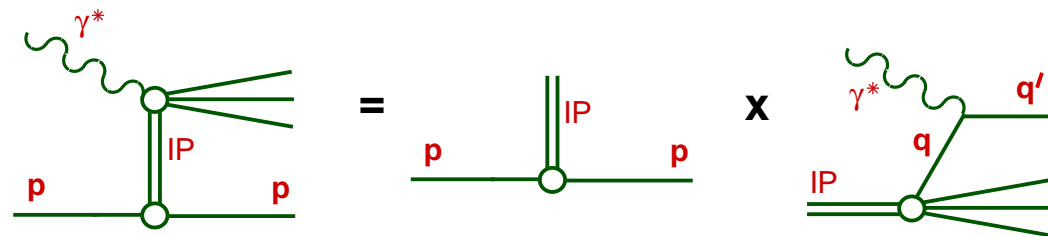
- Diffractive parton distributions (Trentadue, Veneziano, Berera, Soper, Collins, ...):

$$\frac{d^2\sigma(x, Q^2, x_{\mathbf{P}}, t)^{\gamma^* p \rightarrow p' X}}{dx_{\mathbf{P}} dt} = \sum_i \int_x^{x_{\mathbf{P}}} d\xi \hat{\sigma}^{\gamma^* i}(x, Q^2, \xi) p_i^D(\xi, Q^2, x_{\mathbf{P}}, t)$$

- $\hat{\sigma}^{\gamma^* i}$  hard scattering part, as in incl. DIS
- $p_i^D$  diffractive PDF's in proton, conditional probabilities, valid at fixed  $x_{\mathbf{P}}, t$ , obey DGLAP
- not proven for diffractive hadron-hadron scattering

Regge Factorization / resolved Pomeron model:

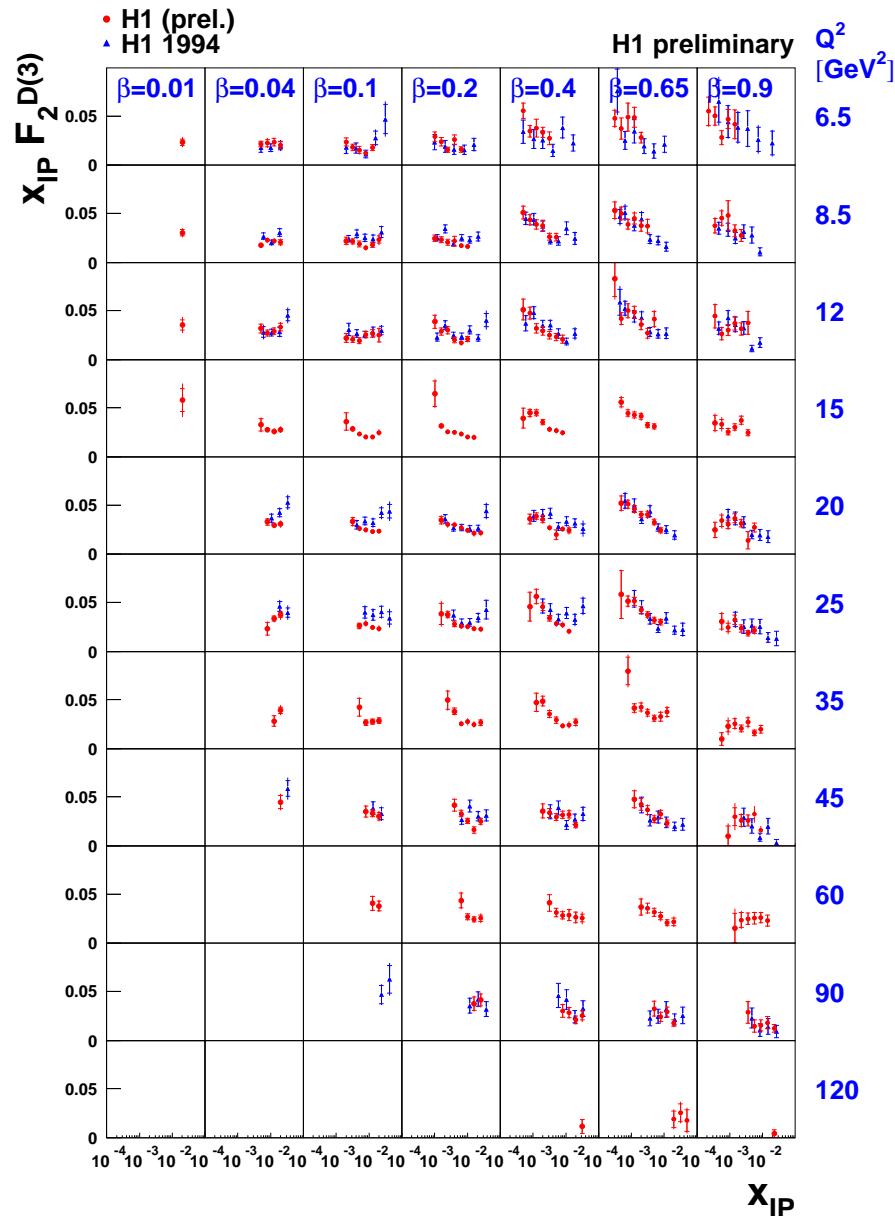
$x_{\mathbf{P}}, t$  dependence factorizes out: Donnachie, Landshoff, Ingelman, Schlein, ...)



- additional assumption, **no proof!**
- consistent with present data if sub-leading  $\mathbb{R}$  included

$$F_2^D(x_{\mathbf{P}}, t, \beta, Q^2) = f_{\mathbf{P}/p}(x_{\mathbf{P}}, t) F_2^{\mathbb{P}}(\beta, Q^2)$$

# New $F_2^{D(3)}$ measurement (Rapidity gap)



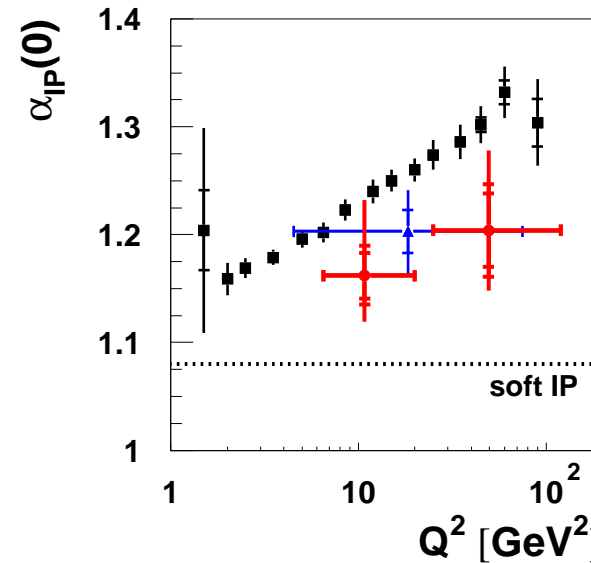
5 times more statistics than previous data

Fit to  $x_P$  dependence: effective  $\alpha_P(0)$

$$F_2^D(x_P, \beta, Q^2) \sim B(\beta, Q^2) \left(\frac{1}{x_P}\right)^{2\alpha_P-1}$$

## Effective $\alpha_{IP}(0)$

- Inclusive**
- H1  $F_2$  96-97
- Diffractive**
- ▲ H1  $F_2^{D(3)}$  94
- H1  $F_2^{D(3)}$  97 (prel.)



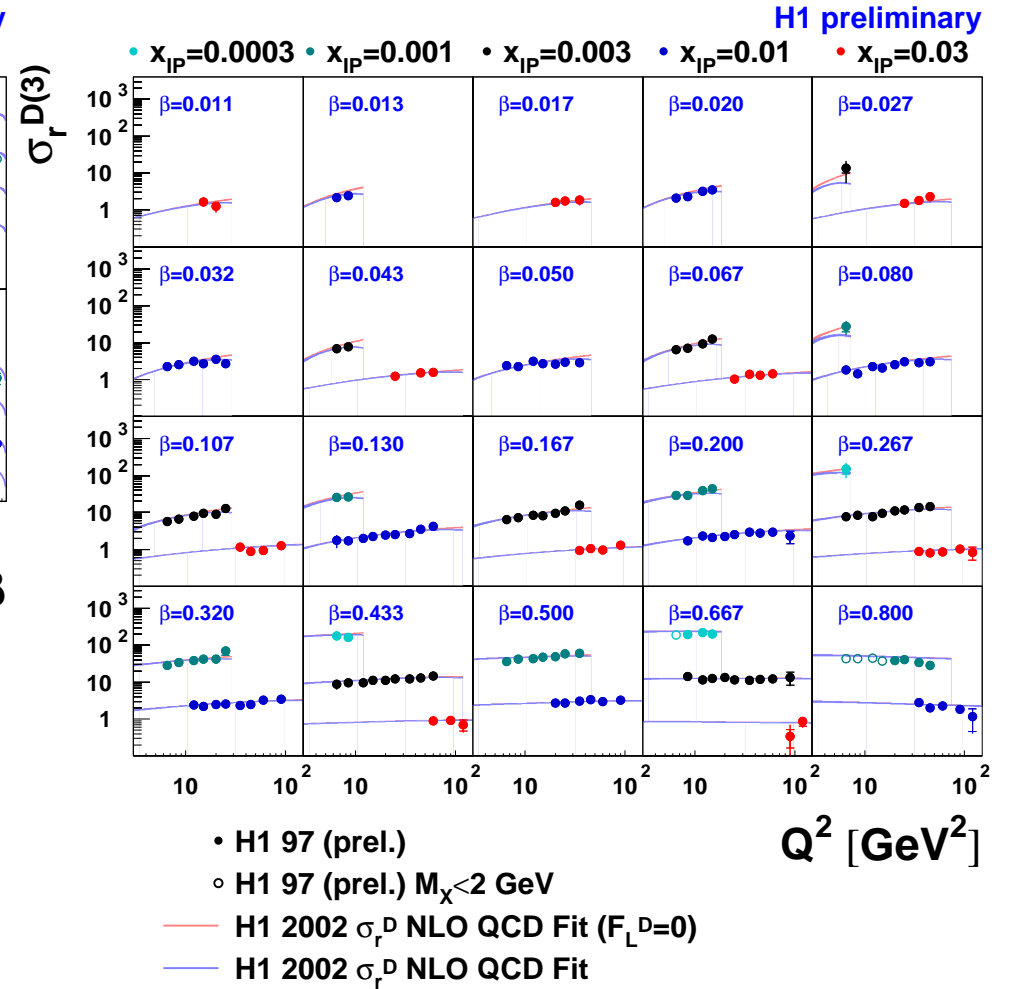
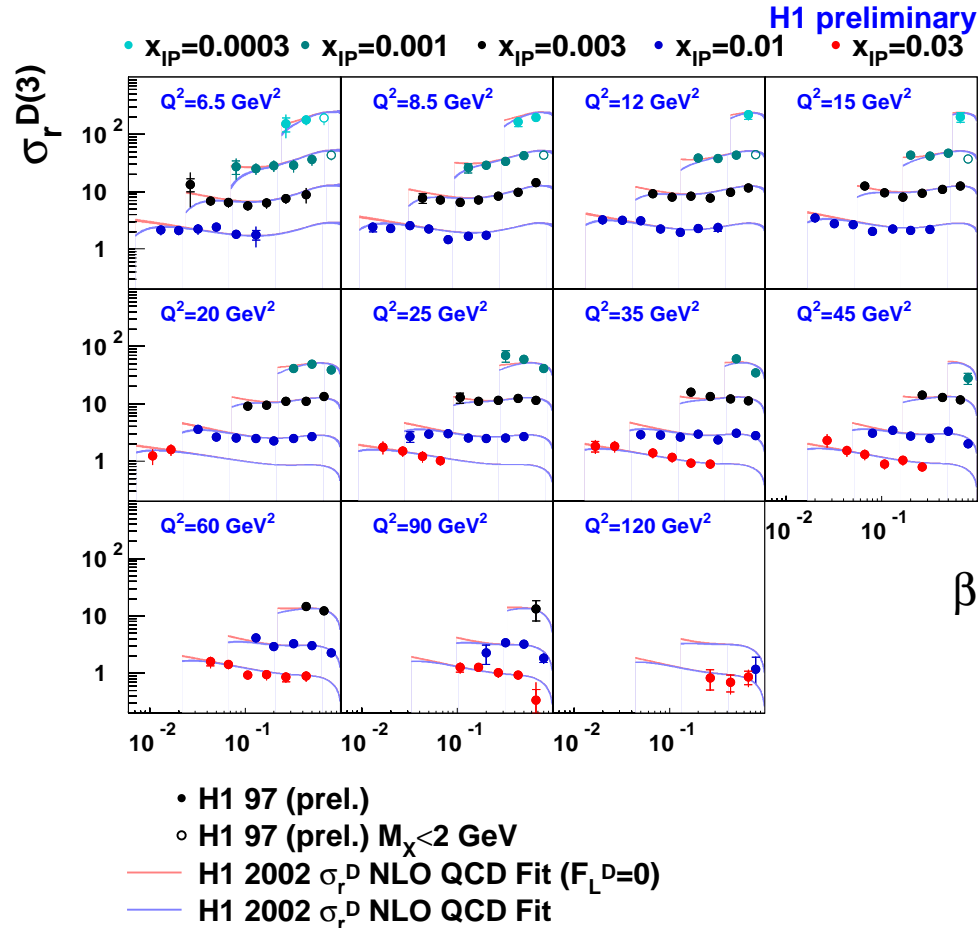
$$\alpha_P(0) = 1.173 \pm 0.02 \pm 0.02^{+0.06}_{-0.03}$$

Growth with  $Q^2$  slower in diffractive case?

# $F_2^{D(3)}$ : $\beta$ and $Q^2$ dependence overview

$\beta$  dependence at fixed  $Q^2$ :

$Q^2$  dependence at fixed  $\beta$ :



sensitive to diffr. pdf's integrated over  $t$

Different behaviour than for proton !

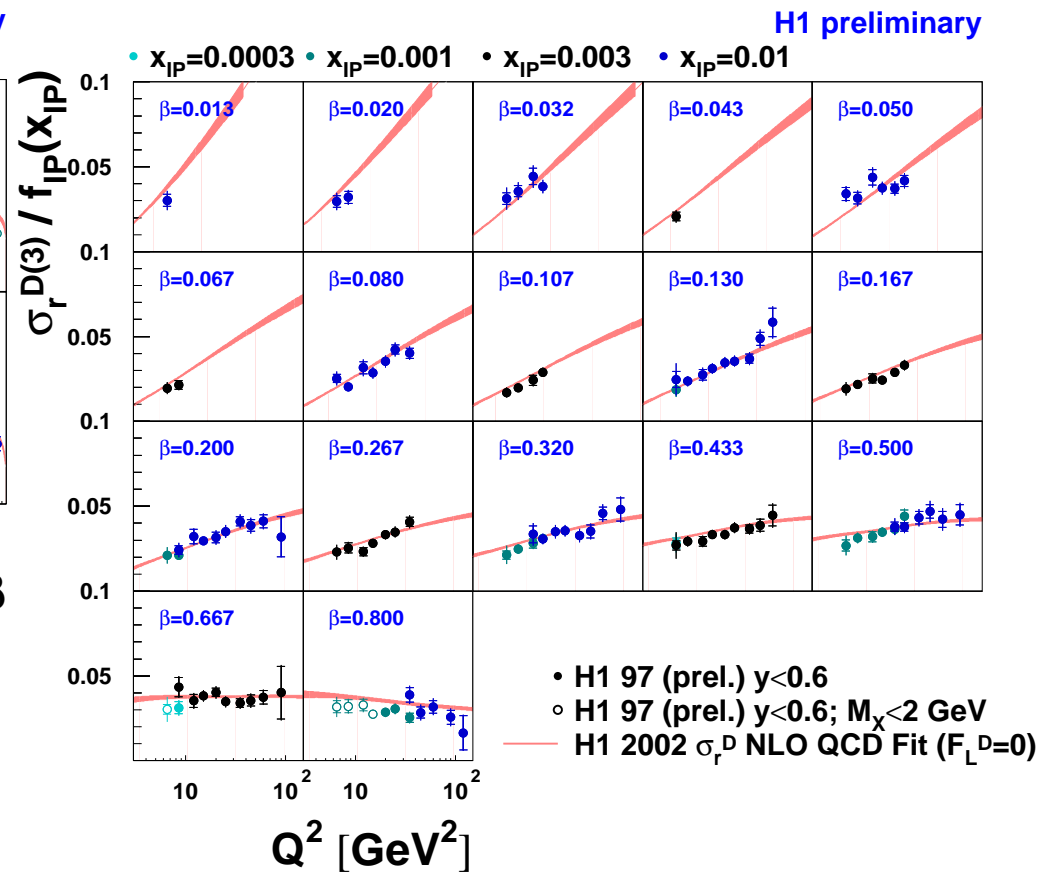
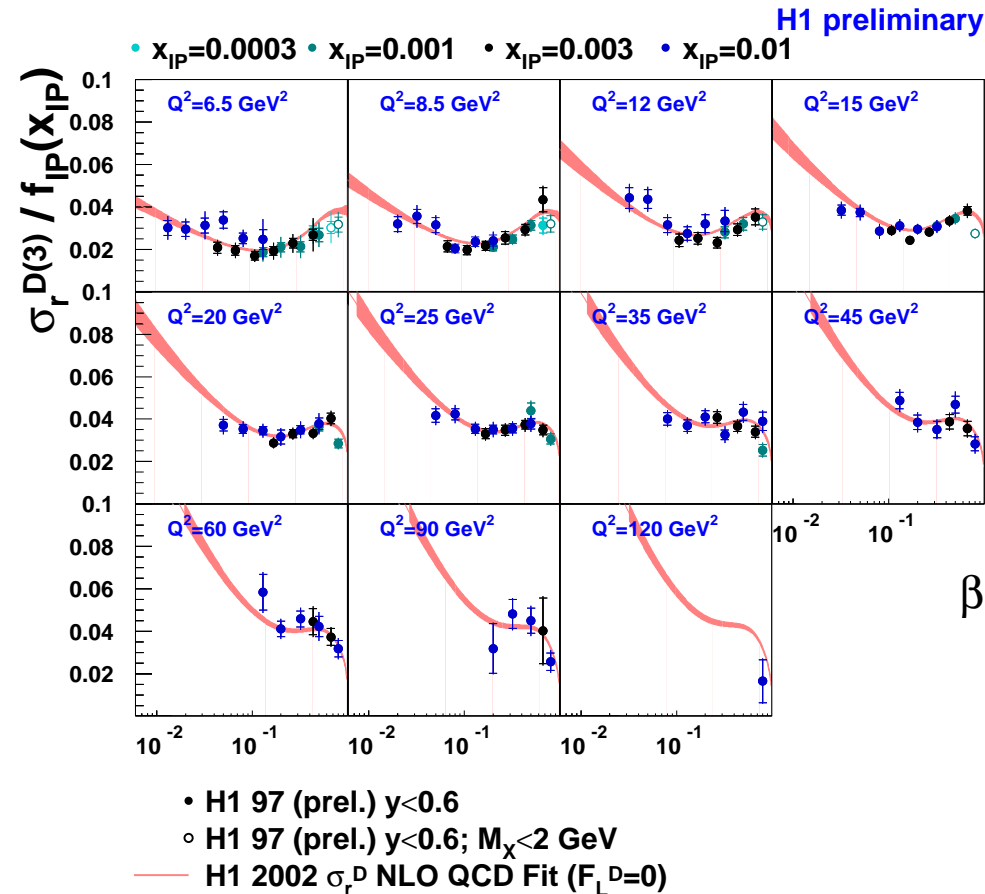


## Taking out the $x_{\mathbb{P}}$ dependence ...

Data divided by flux factor  $f_{\mathbb{P}}(x_{\mathbb{P}})$

$\beta$  dependence at fixed  $Q^2$ :

$Q^2$  dependence at fixed  $\beta$ :



$\beta$  dep.:  $F_2^D = \sum e_i^2(q_i + \bar{q}_i)$

Scaling violations: gluon

Data consistent with Regge factorization

## NLO DGLAP QCD Fit

### Modelling of $\sigma_r^{D(3)}$ :

- Shape of  $Q^2, \beta$  dep. of  $\sigma_r^D$  observed to be largely independent of  $x_{\mathcal{P}}$ :

$$\sigma_r^{D(4)}(x_{\mathcal{P}}, t, \beta, Q^2) = f_{\mathcal{P}}(x_{\mathcal{P}}, t) * \sigma_r^{D(2)}(\beta, Q^2)$$

- $x_{\mathcal{P}}$  dependence conveniently parameterized as

$$f_{\mathcal{P}}(x_{\mathcal{P}}) = \int dt x_{\mathcal{P}}^{1-2\alpha_{\mathcal{P}}(t)} e^{Bt}$$

using  $\alpha_{\mathcal{P}}(0) = 1.173 \pm 0.018$  (determined from data)

- Small contribution from sub-leading exchange at large  $x_{\mathcal{P}} > 0.01$  required

### PDF parameterization:

- At starting scale  $Q_0^2 = 3 \text{ GeV}^2$ :
  - Singlet distribution  $\Sigma(z, Q_0^2)$  ( $\Sigma = 6u, u = d = s = \bar{u} = \bar{d} = \bar{s}$ )
  - Gluon distribution  $g(z, Q_0^2)$
- Parameterization using unbiased, flexible functional form: Chebychev polynomials

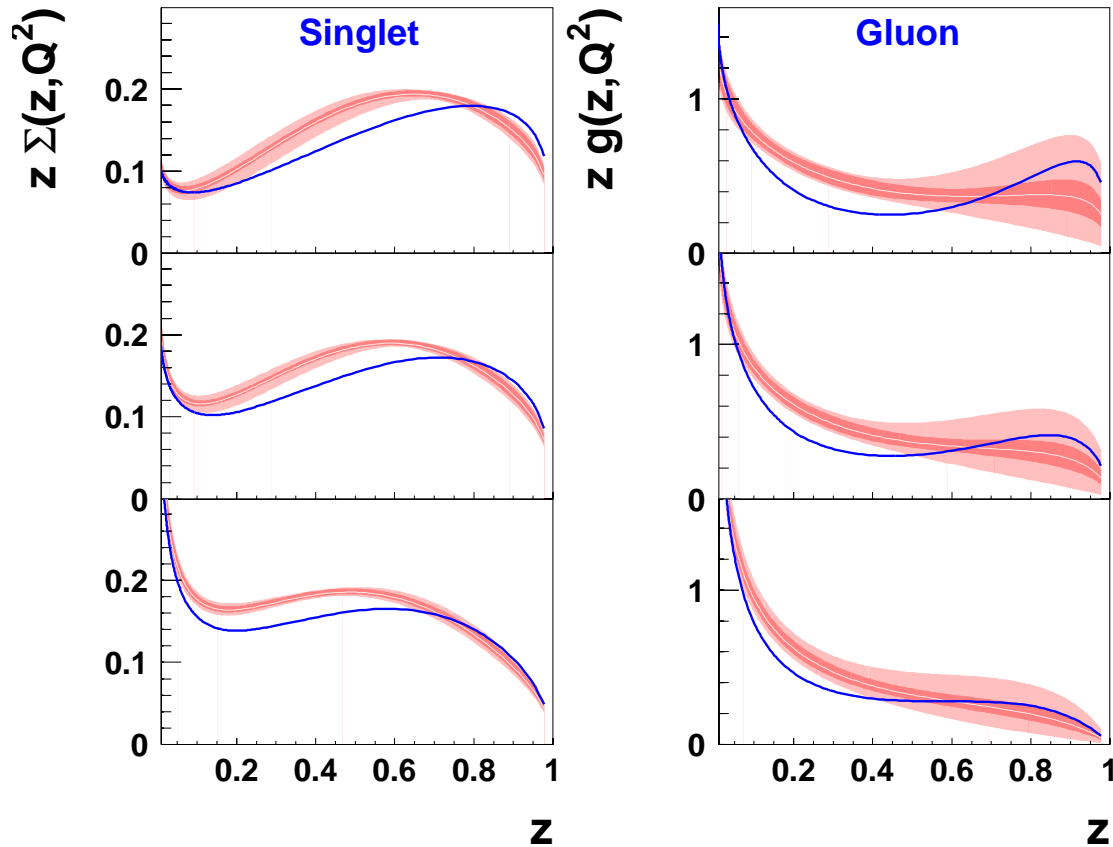
### Technique:

- Charm treatment in massive approach (BGF)
- Cut  $M_X > 2 \text{ GeV}$  justifies leading twist analysis
- Full propagation of exp. and model systematic uncertainties !

## Result of NLO fit

### H1 2002 $\sigma_r^D$ NLO QCD Fit

H1 preliminary



■ H1 2002  $\sigma_r^D$  NLO QCD Fit (exp. error)  
■ H1 2002  $\sigma_r^D$  NLO QCD Fit (exp.+theor. error)  
— H1 2002  $\sigma_r^D$  LO QCD Fit

$Q^2$   
[GeV<sup>2</sup>]  
6.5

- pdfs extending to large fractional momenta  $z$

15

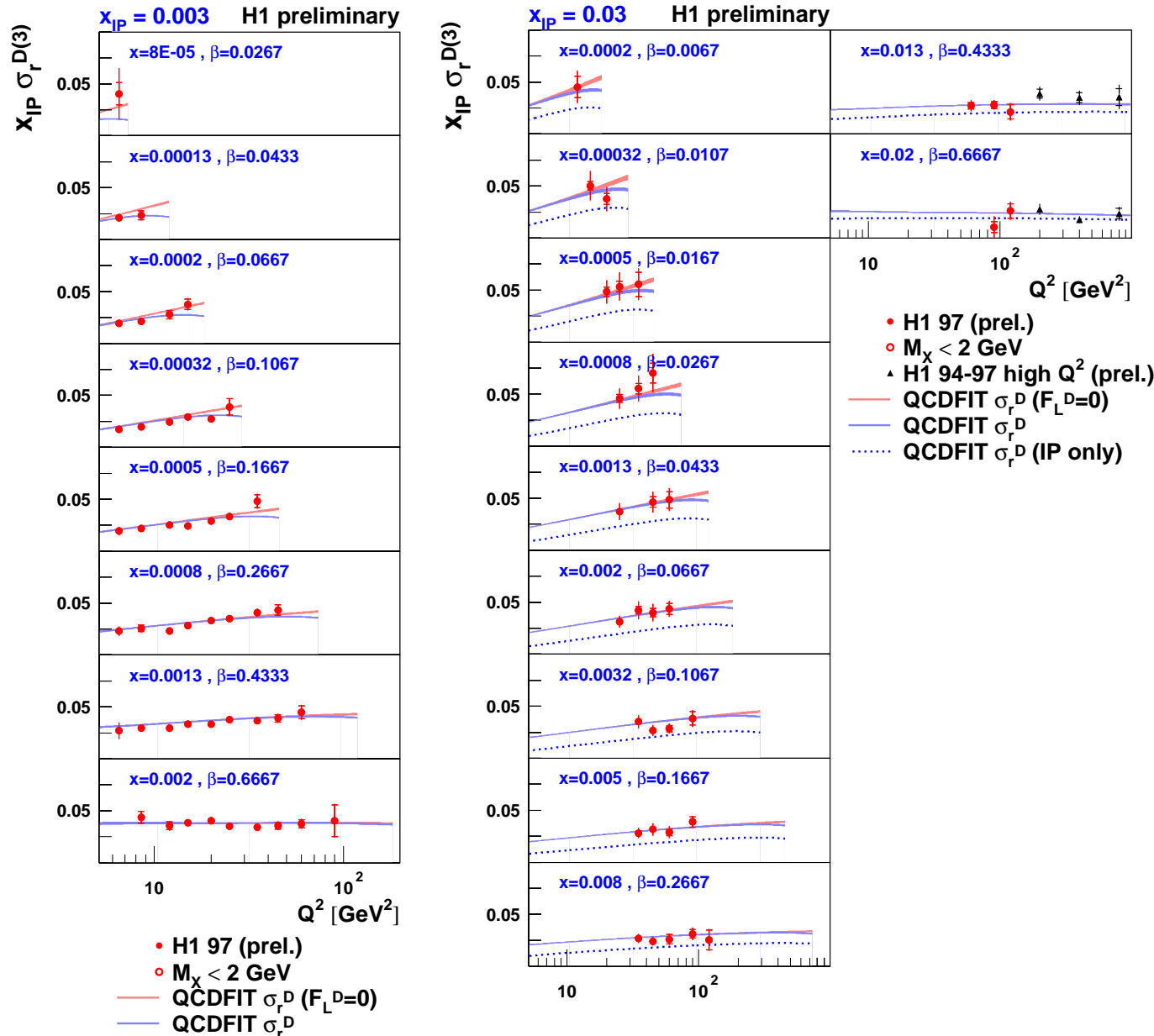
- precise measurement of singlet distribution  $\Sigma(z, Q^2)$

90

- hard gluon distribution, flat or rising towards  $z \rightarrow 1$  (LO fit more peaked than central NLO fit)

- large uncertainty for  $g(z, Q^2)$  at  $z > 0.6$  (mainly related to model)

## Comparison of NLO QCD fit with Data: $Q^2$ dep.



Two example  $x_{IP}$  bins

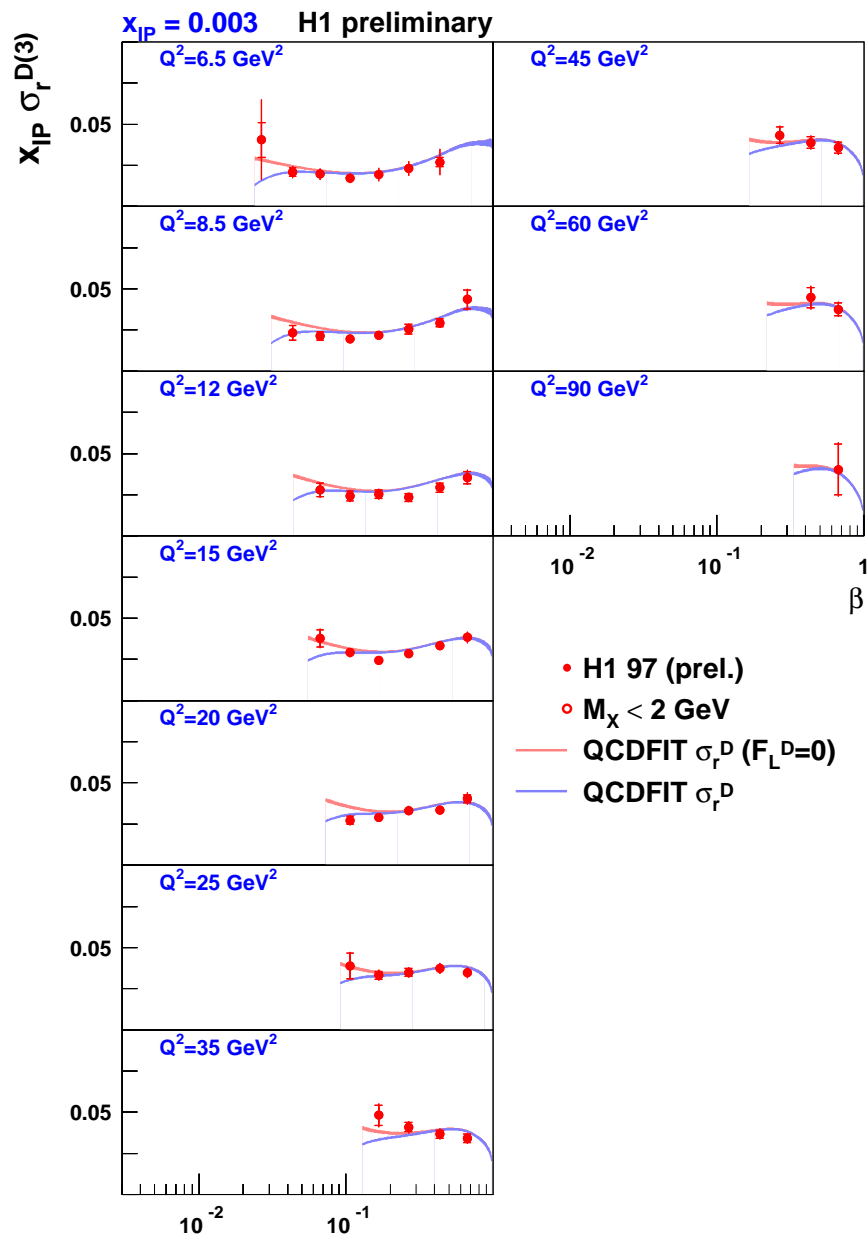
$Q^2$  scaling violations well constrained by data

Rising except at highest  $\beta$

Well reproduced by QCD fit up to  $Q^2 = 800 \text{ GeV}^2$

Sub-leading contribution at  $x_{IP} = 0.03$ , smaller than for previous data

## Comparison of NLO QCD fit with Data: $\beta, x$ dep.



Example  $x_{\mathbb{P}}$  bin at 0.003:

Rising behaviour at  $\beta \rightarrow 1$ , low  $Q^2$  reflected by  $\Sigma(z, Q^2)$

$\beta$  dependence independent of  $x_{\mathbb{P}}$

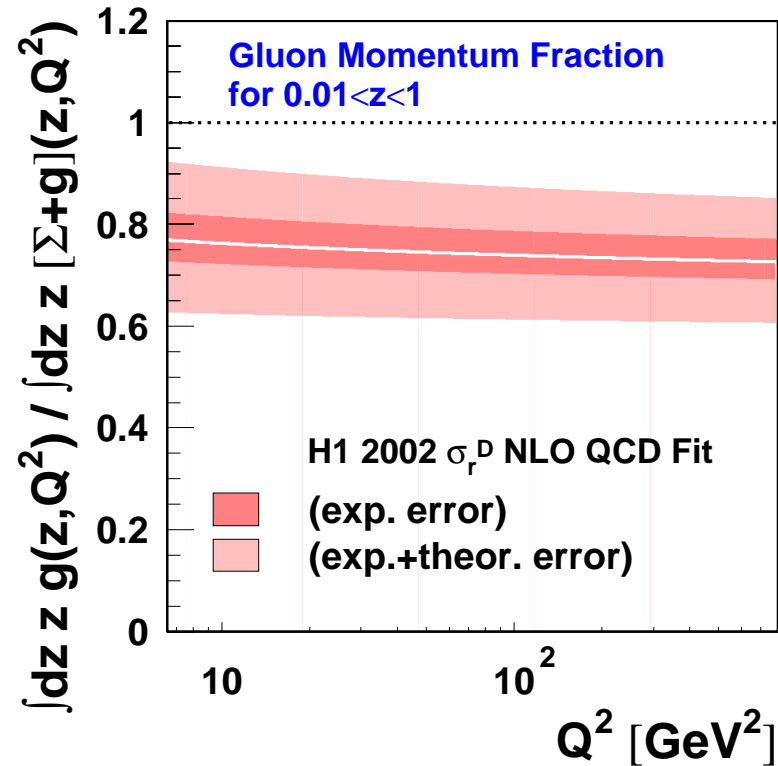
high  $y \leftrightarrow$  low  $x$  or  $\beta$  at fixed  $x_{\mathbb{P}}$ :  
Effect of  $F_L^D$

presently no direct handle on  $F_L^D$  from data

## Gluon Momentum Fraction

From NLO Fit:

H1 preliminary



- Integration of pdf's in measured range  
 $0.01 < z < 1$
- Momentum fraction of colour singlet exchange carried by gluons **75%** for  
 $6.5 < Q^2 < 800 \text{ GeV}^2$
- Fully consistent with results from previous H1 data

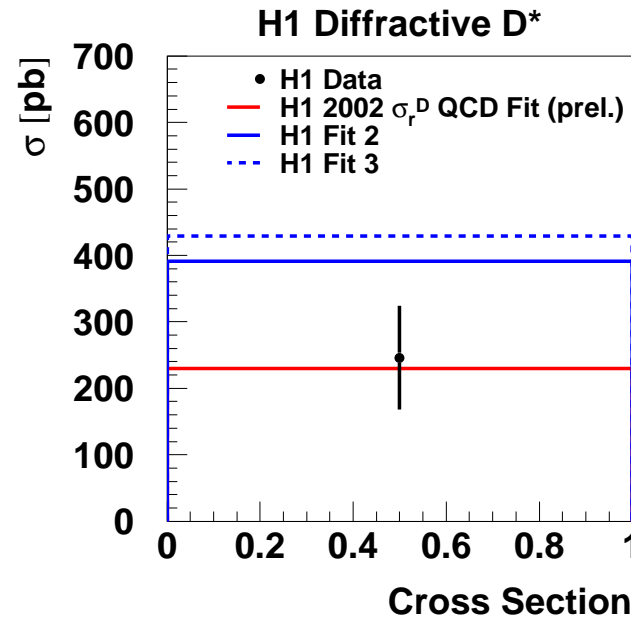
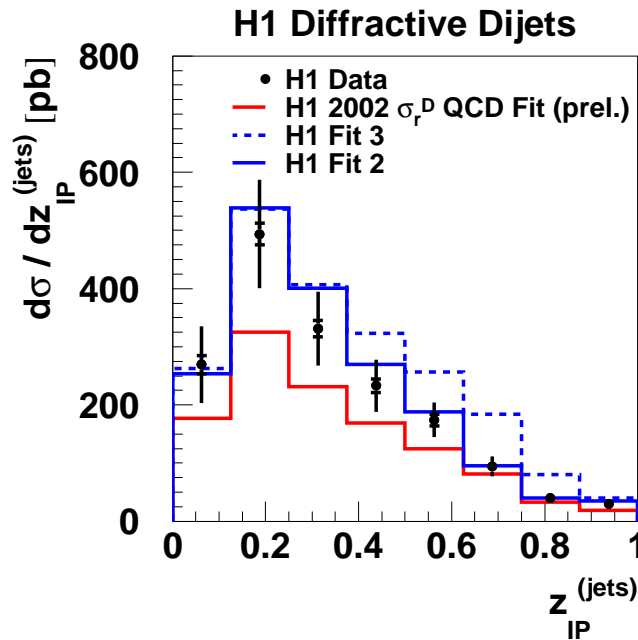
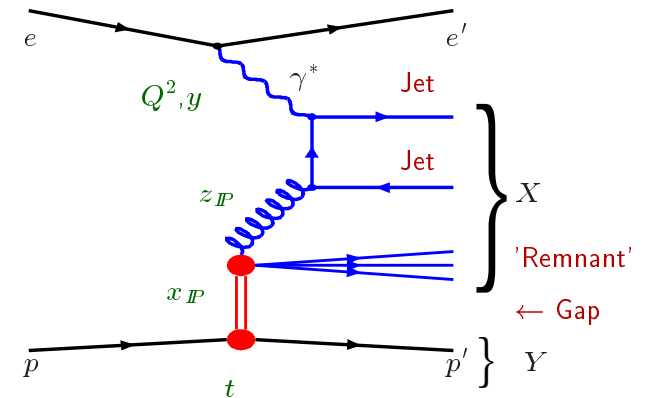
## Comparison with H1 diffractive DIS final states

Use pdf's from LO fit to predict dijets /  $D^*$  cross sections in diffractive DIS as measured by H1:

Comparison based on MC model (RAPGAP)

$$\mu^2 = Q^2 + p_T^2 + m^2$$

Differential distributions remain well described  
 Normalization: pdf/NLO/scale uncertainty



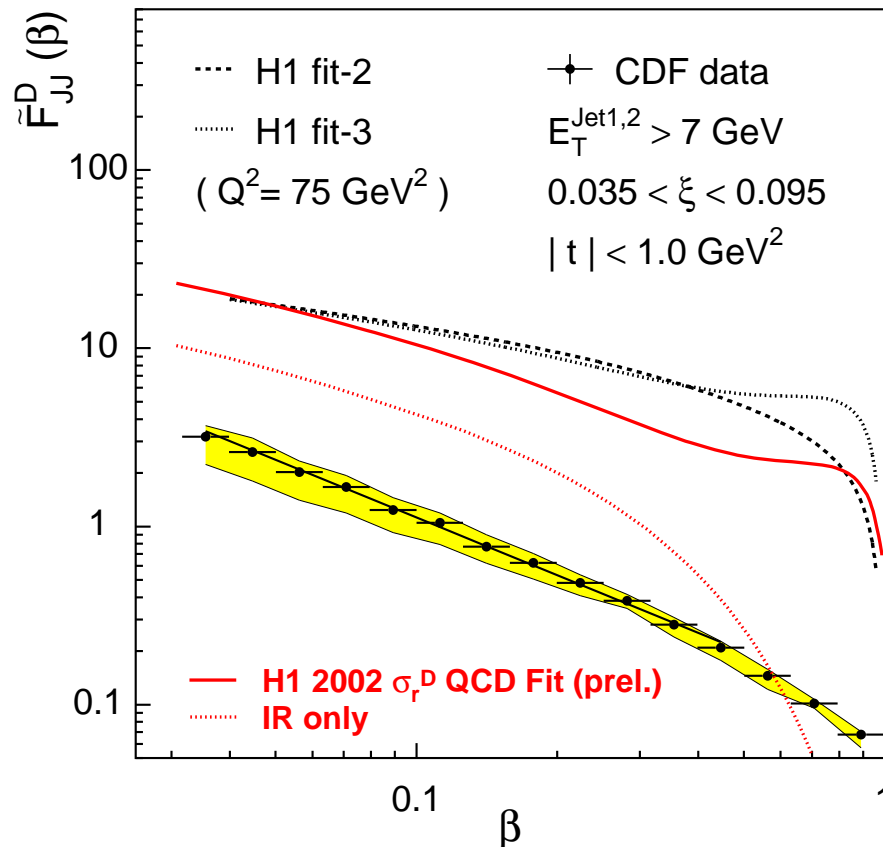
⇒ Consistent with QCD factorization !

## Comparison with CDF diffractive Dijet cross sections

Dijet production with tagged leading anti-proton at TEVATRON:

Effective diffractive structure function  $\tilde{F}_{jj}^D$ :

$$\tilde{F}_{jj}^D(\beta) = \int dx_{\mathbf{P}} dt f(x_{\mathbf{P}}, t) \beta \left[ g(\beta, Q^2) + \frac{4}{9} \Sigma(\beta, Q^2) \right] \quad (Q^2 = 75 \text{ GeV}^2)$$



- New fit confirms serious breakdown of factorization (gap survival, absorptive corrections)
- $\beta$  dependence similar (except highest  $\beta$ )
- NOTE  $x_{\mathbf{P}}$  domain: 50% contribution from sub-leading exchange in this kinematic regime



## Conclusions

- In diffractive DIS at HERA, the QCD structure of diffractive interactions (pomeron) can be probed using a virtual photon
- Experimental data have reached high precision
- Proof of QCD factorization in diffractive DIS provides firm theoretical basis
- Diffractive pdf's determined from  $F_2^D$  are dominated by large gluon contribution (75%) extending to large fractional momenta
- Comparisons with diffractive final states (dijets, charm):  
Consistent with QCD factorization
- Diffractive jets in  $p\bar{p}$ :  
Breakdown of factorization (gap survival, absorptive corrections)

Precision QCD in hard diffraction !